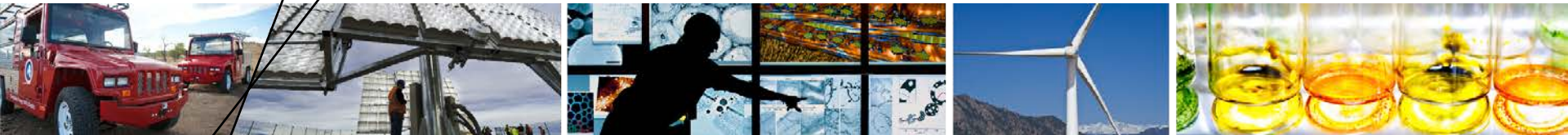


Improving Bending Moment Measurements on Wind Turbine Blades



2016 Wind Energy Research Workshop

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Lowell, Massachusetts

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Outline

- **Measure dynamic loads for model verification, nondestructive evaluation, and accelerated structural testing.**
 - International Electrotechnical Commission (IEC) 61400-13 (2015): Measurement of Mechanical Loads
 - IEC 61400-23 (2014): Full-Scale Structural Testing of Rotor Blades
- **Test resonance fatigue testing.**
 - Single axis
 - Biaxial
- **Measure mathematical approaches to bending moment using strain gauges.**
 - Traditional single axis
 - Cross-talk matrix IEC 61400-13
- **Demonstrate and evaluate errors.**
- **Expand cross-talk matrix to include torsion.**

IEC 61400-13 blade coordinates:
Coordinates are fixed to blade root.



Resonance Fatigue Testing

- **Goal: Constant amplitude fatigue test**
- **Excite blade at first flap or first lead-lag mode shape.**
 - Excite using moving mass (shaker) on blade.
 - Excite using hydraulic actuator where force is 90 degrees out of phase with displacement.
 - Adjust mode shape (bending moment distribution) by adding masses as required.
- **Force (energy) input is related to damping; not the applied bending moment.**
- **Must measure applied load independently using strain gauges.**



Flap fatigue test at Wind Technology Testing Center, Boston, MA

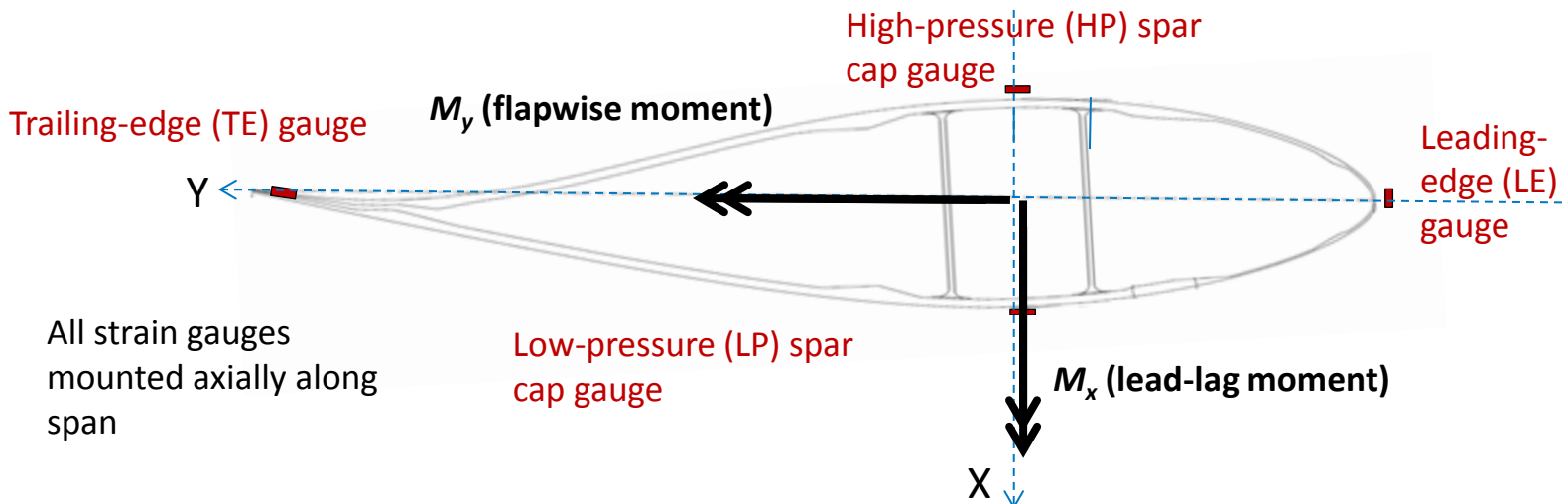
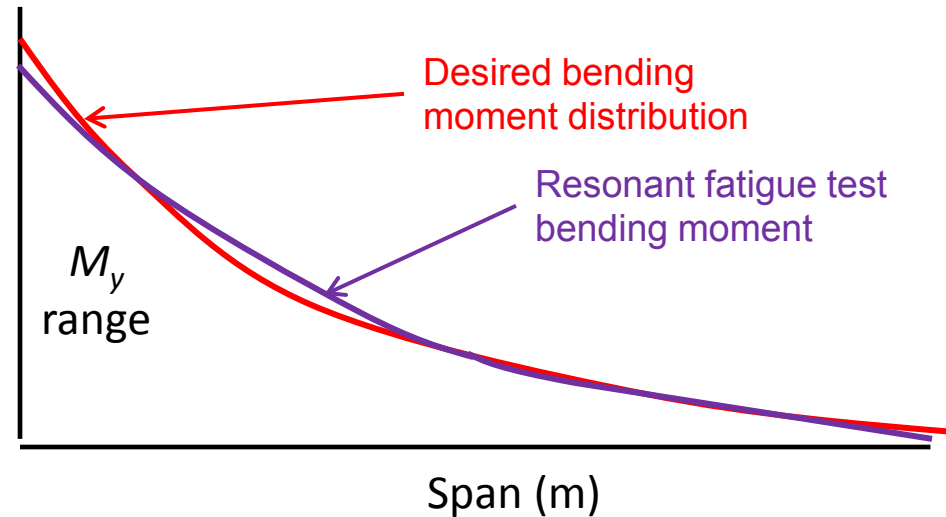
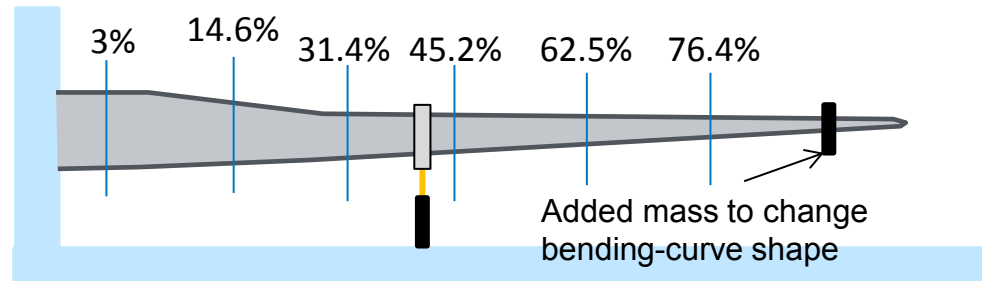


Inertial mass flap fatigue test at National Wind Technology Center, Boulder, CO

Instrumentation

Traditional instrumentation for bending moment measurement

- Four strain gauges each at selected span locations
 - May be configured as half bridges (in-service turbines)
- Root is typically round, then transitions to airfoil
- In-service measurements near root (2–3% span) and at about 30% span



Calibration

- **In laboratory:**

- Apply force at known angle (typically perpendicular to pitch axis).

Moment: $M = FL \cos \theta$

Sensitivity: $A = \frac{\varepsilon_1 - \varepsilon_0}{M_1 - M_0}$

- **On turbine:**

- Use self-weight in low wind.

Moment: $M = mgL \cos \theta$

With blade horizontal pitch at 0, 90, 180, 270 deg.

Sensitivity:

$$A_{FLAP} = \frac{\varepsilon_{90} - \varepsilon_{270}}{2 mgL}$$

$$A_{LEAD-LAG} = \frac{\varepsilon_0 - \varepsilon_{180}}{2 mgL}$$

- **Or calculate from curve-fitting data as load is applied or blade is rotated.**

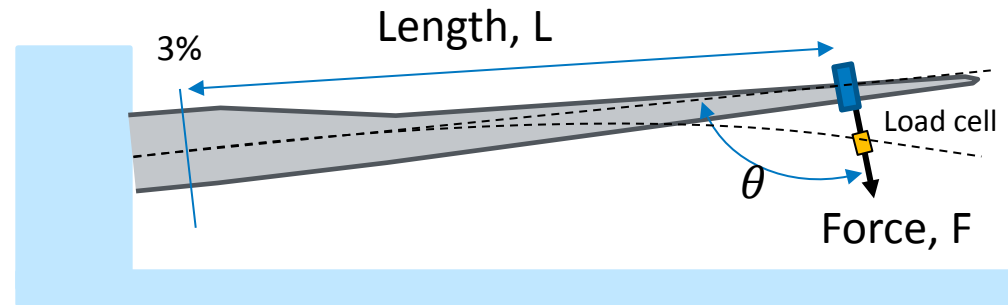
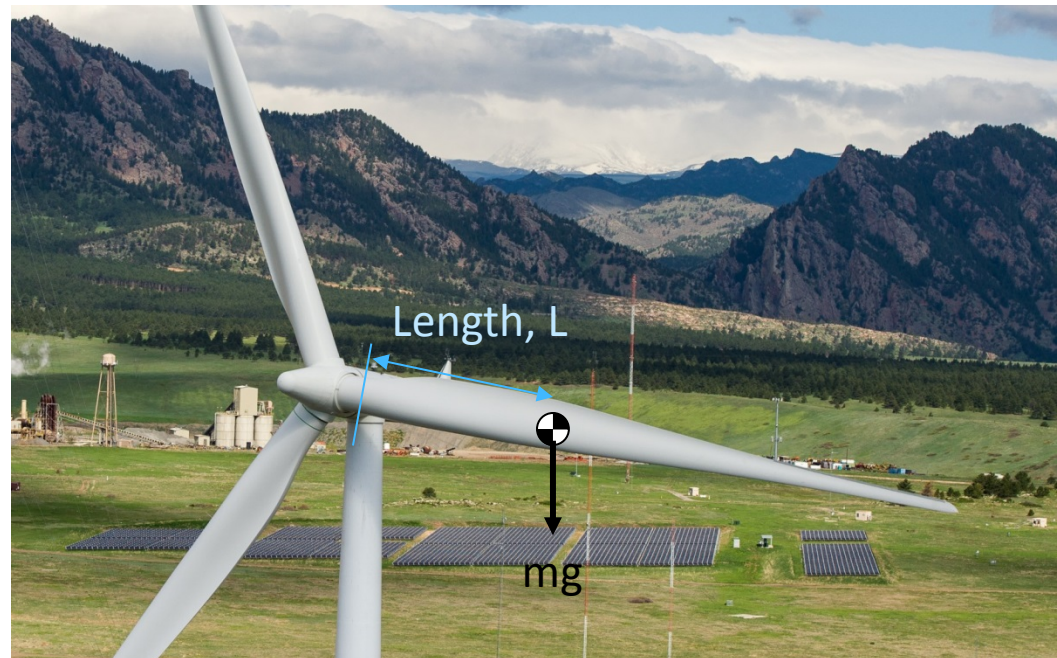


Image from NREL, 25867



Cross-Talk Matrix Approach

- **Based on method in IEC 61400-13**
- Relate moments to strains at a section with a cross-talk matrix under the assumption that the measured strain is due to the linear response to each moment superimposed:

$$\begin{Bmatrix} \varepsilon_1 \\ \varepsilon_2 \end{Bmatrix} = \begin{bmatrix} A_{11} & A_{12} \\ A_{21} & A_{22} \end{bmatrix} = \begin{Bmatrix} M_x \\ M_y \end{Bmatrix}$$

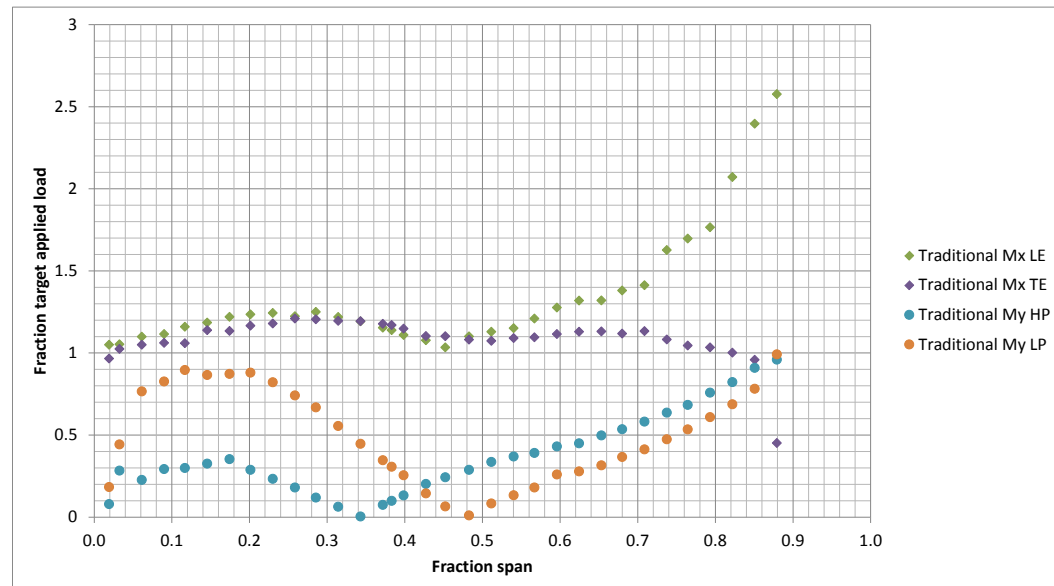
- ε_1 and ε_2 are two strain measurements, ideally primarily sensitive to M_x and M_y , respectively.
- Common method for determining components of A:
 - Apply pure M_x load and fit $\varepsilon_1 = A_{11} M_x$ for A_{11}
and $\varepsilon_2 = A_{21} M_x$ for A_{21} .
 - Apply pure M_y load and find slope linear fit of $\varepsilon_1 = A_{12} M_y$ for A_{12}
and $\varepsilon_2 = A_{22} M_y$ for A_{22} .
- Invert A matrix to calculate moments during fatigue or turbine operation.

$$\begin{Bmatrix} M_x \\ M_y \end{Bmatrix} = \begin{bmatrix} A_{11} & A_{12} \\ A_{21} & A_{22} \end{bmatrix}^{-1} \begin{Bmatrix} \varepsilon_1 \\ \varepsilon_2 \end{Bmatrix}$$

Traditional Approach: Neglect Cross-Talk

- The applied moment range during single-axis (flap or lead-lag) resonance fatigue tests has traditionally been measured using only the gauges that are most sensitive to that loading, neglecting cross-talk terms.
- Thus:
$$\begin{Bmatrix} \varepsilon_1 \\ \varepsilon_2 \end{Bmatrix} = \begin{bmatrix} A_{11} & 0 \\ 0 & A_{22} \end{bmatrix} = \begin{Bmatrix} M_x \\ M_y \end{Bmatrix}$$
- Typically:
 - Only a single calibration direction is required in the loading direction to obtain the sensitivity.
 - For a lead-lag test, use the LE or TE gauges separately.
 - For a flap test, the HP or LP gauges are used.
- However, in most cases, the perpendicular moment is not zero. And the cross-talk sensitivity A_{12} and A_{21} terms are not zero.

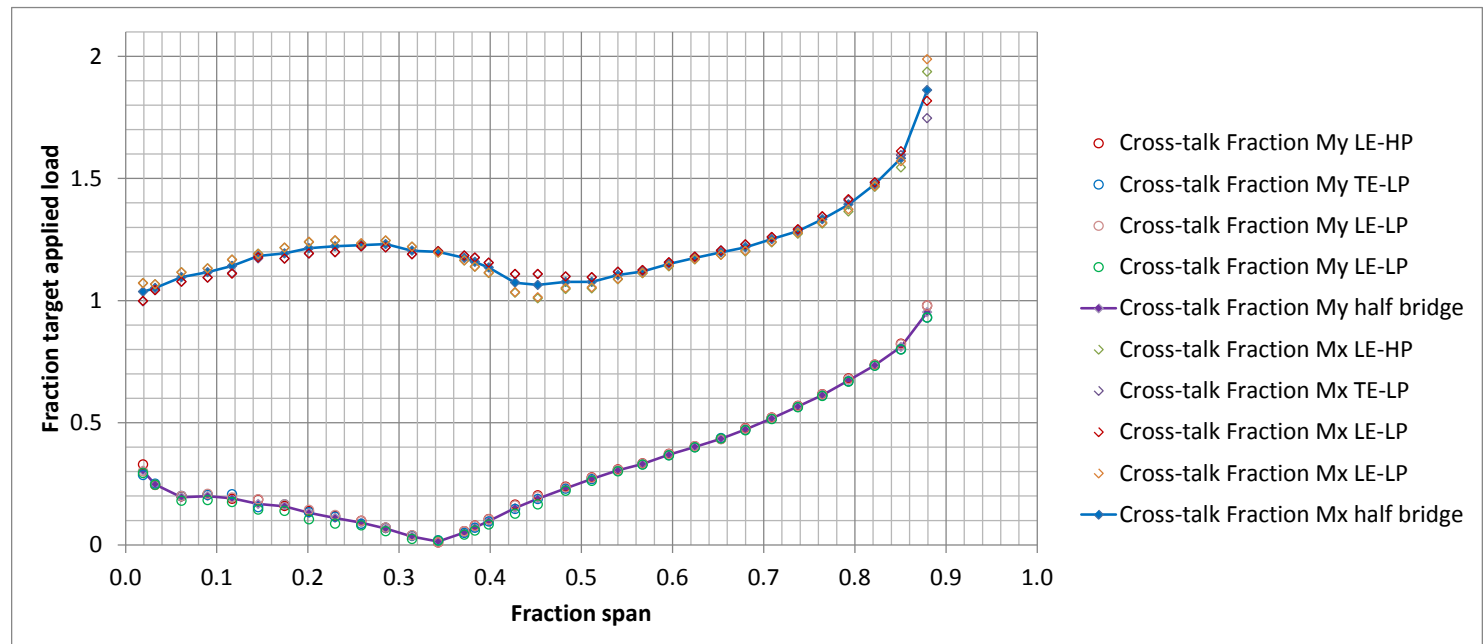
Example bending moment distribution measured during lead-lag fatigue test



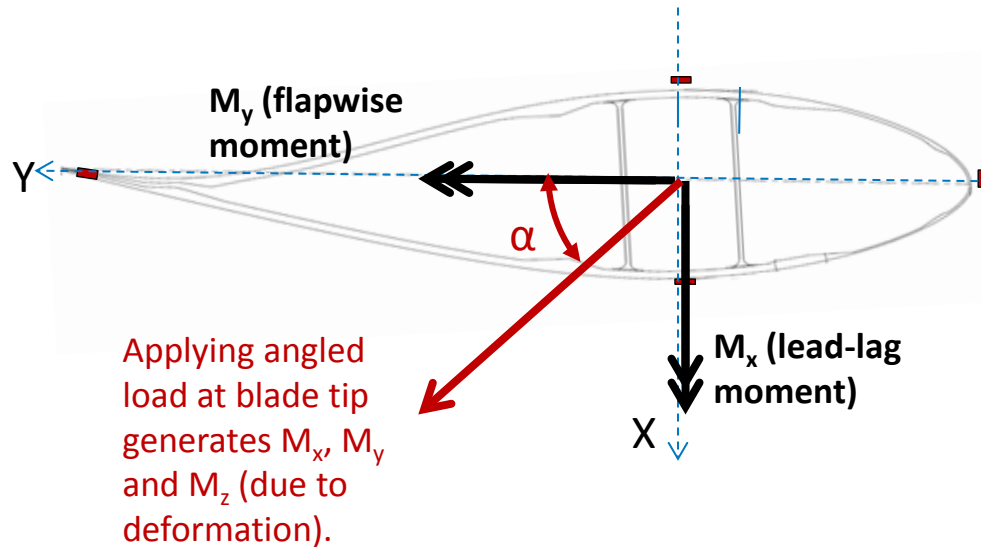
Applying Cross-Talk: $\frac{1}{4}$ vs. $\frac{1}{2}$ Bridge

- ε_1 and ε_2 can be single-strain gauges read using a $\frac{1}{4}$ bridge.
 - Typically, evaluate moment for gauge pairs: {LE,HP}, {LE,LP}, {TE,HP}, {TE,LP}. $\begin{Bmatrix} \varepsilon_1 \\ \varepsilon_2 \end{Bmatrix} = \begin{bmatrix} A_{11} & A_{12} \\ A_{21} & A_{22} \end{bmatrix} = \begin{Bmatrix} M_x \\ M_y \end{Bmatrix}$
 - Four separate calculations of moment are achieved.
 - Experimentally, each pair results in slightly different answers (sometimes by several percentage points) for the moment due to the nonlinearity and random variation of the physical system.
 - Advantage: if one strain gauge fails, the remaining two pairs still offer functional measurement.
- Alternatively, use half bridges for calibration and subsequent calculation such that:
 - $\varepsilon_1 = \varepsilon_{LE} - \varepsilon_{TE}$ and $\varepsilon_2 = \varepsilon_{HP} - \varepsilon_{LP}$
 - This results in a single calculation of moment for a given cross-section incorporating all strain data.
 - It typically falls in the middle of scatter from $\frac{1}{4}$ -bridge strains.

Example bending moment distribution measured during lead-lag fatigue test



Biaxial Verification Loading Results



- Calculate resulting applied M_x and M_y :

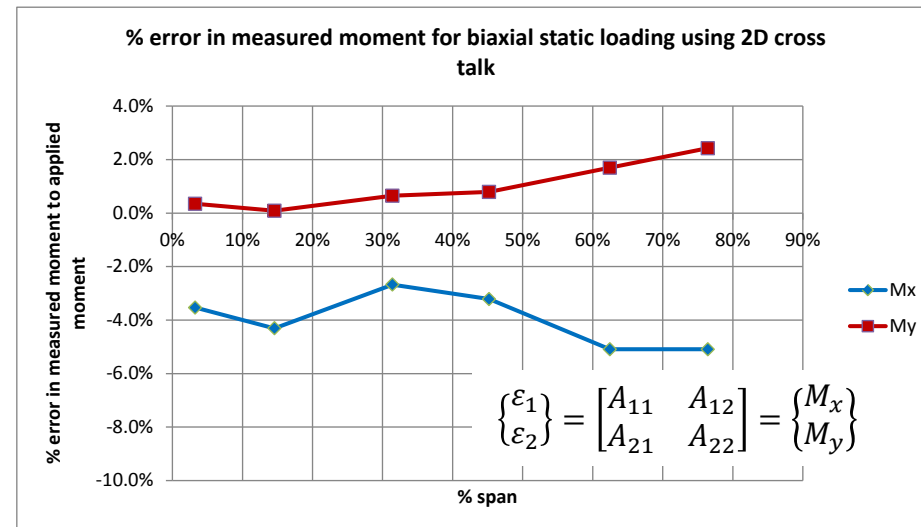
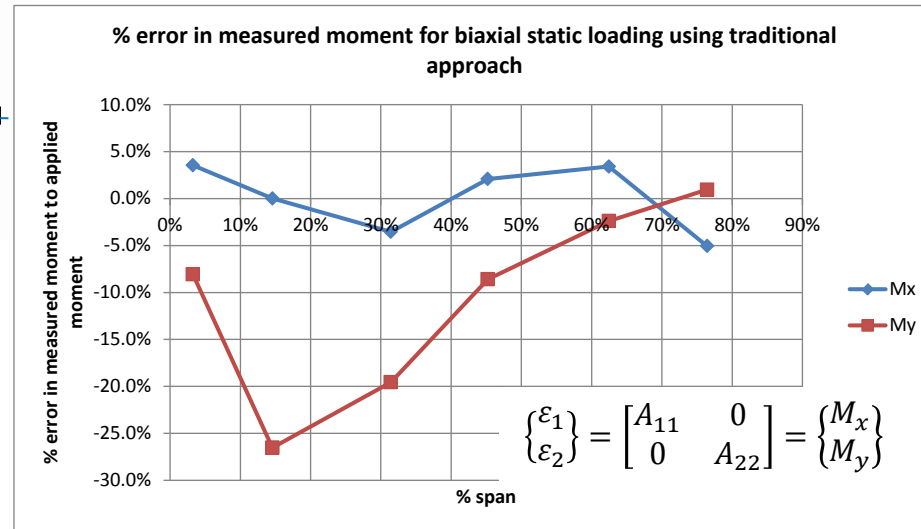
$$M_x = F L \cos \alpha$$

$$M_y = F L \sin \alpha$$

- Compare to moment results from measured strain:

- Significant errors occur when not accounting for cross-sensitivity.
- Two-dimensional cross-talk approach still gives 4% error in M_x at blade root.

Using half-bridge signals



Extending Cross-Talk to Include Torsion (M_z)

Installing rosette strain gauges

Rosette gauges: SA, SH, SB

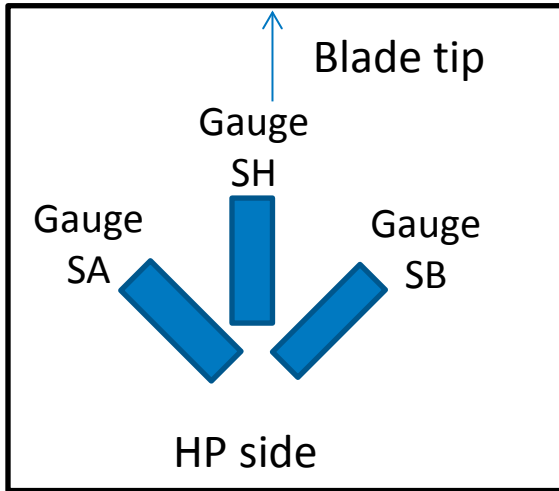
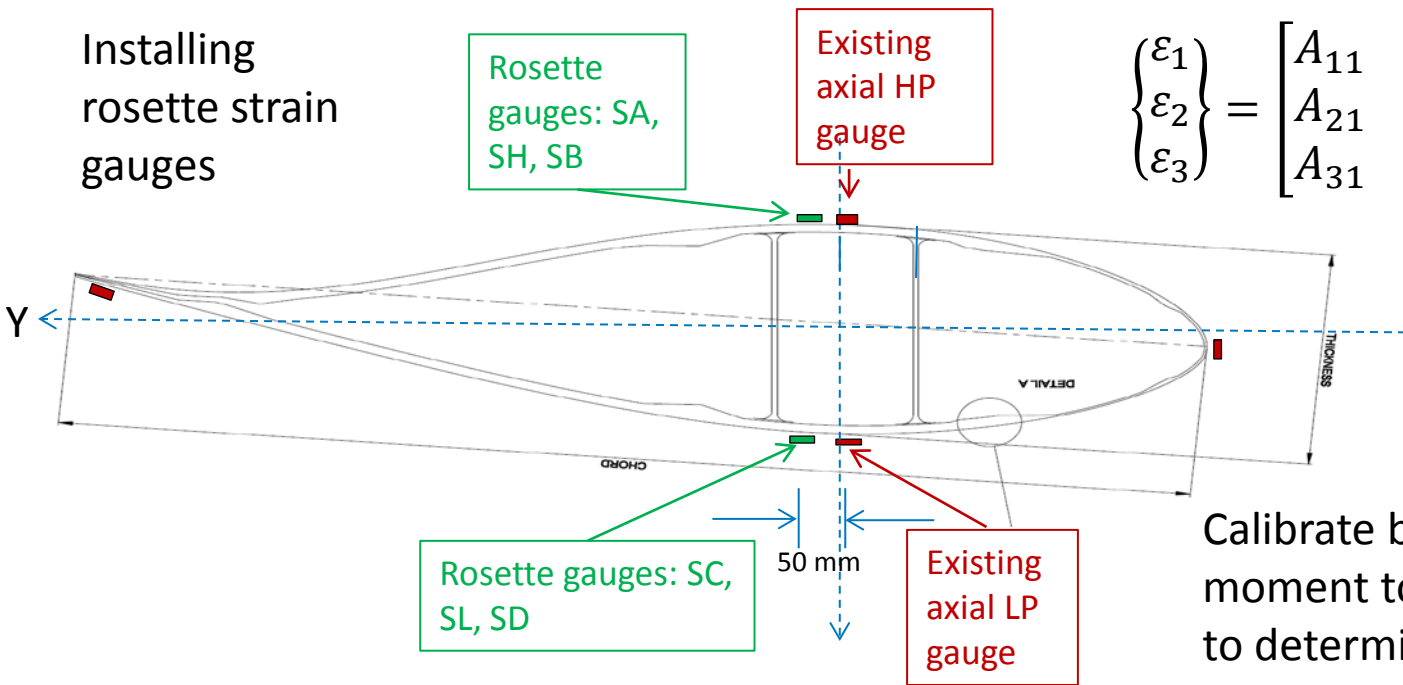
Existing axial HP gauge

$$\begin{Bmatrix} \varepsilon_1 \\ \varepsilon_2 \\ \varepsilon_3 \end{Bmatrix} = \begin{bmatrix} A_{11} & A_{12} & A_{13} \\ A_{21} & A_{22} & A_{23} \\ A_{31} & A_{32} & A_{33} \end{bmatrix} = \begin{Bmatrix} M_x \\ M_y \\ M_z \end{Bmatrix}$$

Rosette gauges: SC, SL, SD

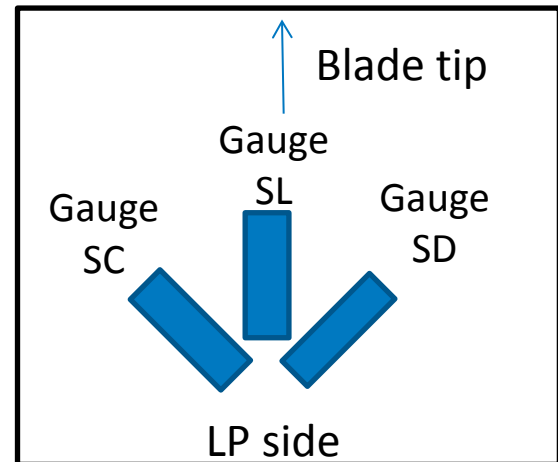
Existing axial LP gauge

Calibrate by applying pure moment to blade using a couple to determine: A_{13} , A_{23} , A_{33} .



Full-bridge torque strain

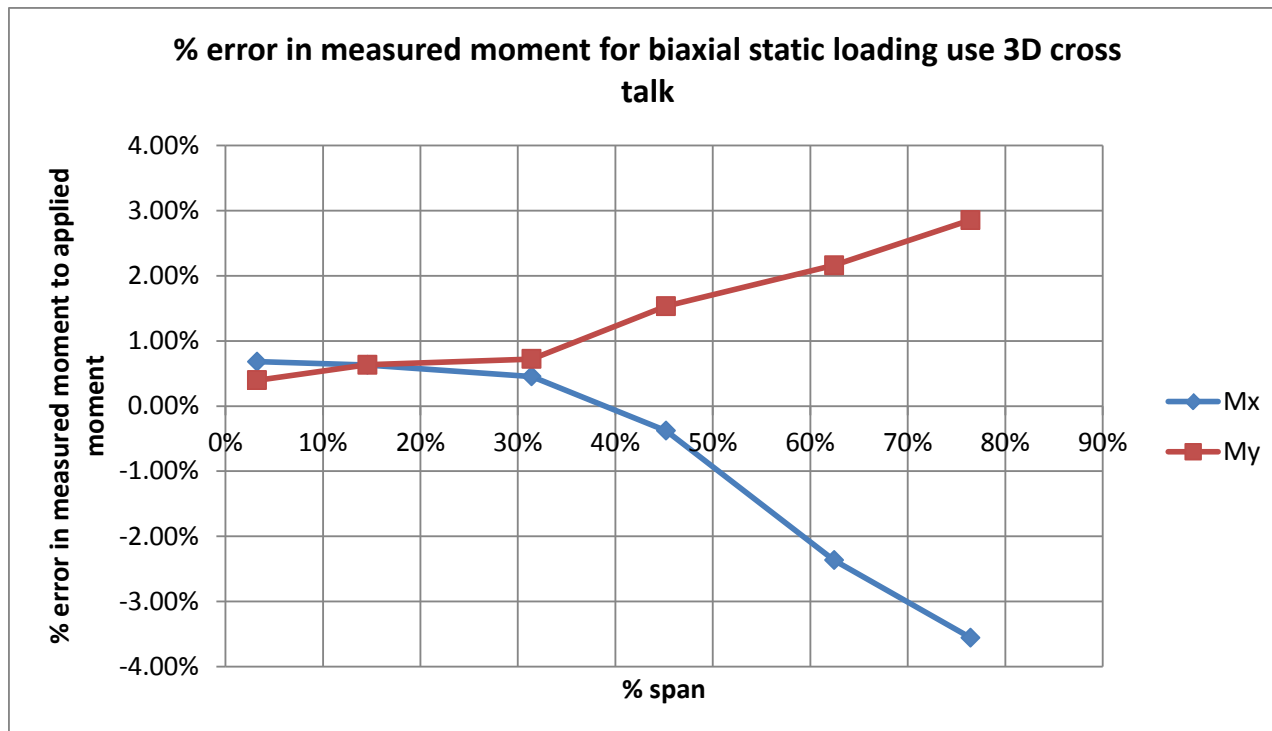
$\varepsilon_3 = \varepsilon_{SA} - \varepsilon_{SB} + \varepsilon_{SC} - \varepsilon_{SD}$
Compensates for most bending, axial, and thermal strains.



Biaxial Verification with Torsion

- Including torsion reduces errors near blade root to <1%.
- Outboard errors are likely due to not accounting for large deformations and torsion increasing the actual local flap moment and decreasing the local edge moment.

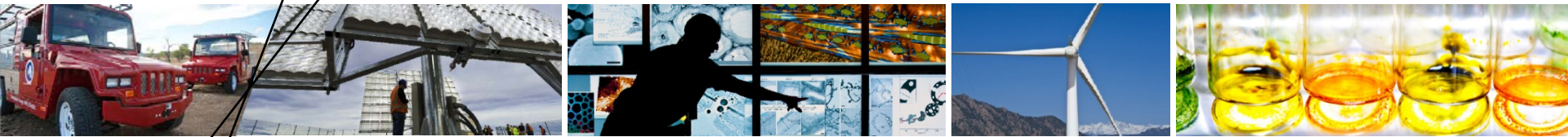
$$\begin{Bmatrix} \varepsilon_1 \\ \varepsilon_2 \\ \varepsilon_3 \end{Bmatrix} = \begin{bmatrix} A_{11} & A_{12} & A_{13} \\ A_{21} & A_{22} & A_{23} \\ A_{31} & A_{32} & A_{33} \end{bmatrix} = \begin{Bmatrix} M_x \\ M_y \\ M_z \end{Bmatrix}$$



Future Work and Conclusions

- **Future work**
 - Account for large deformation
 - For calibration
 - For calculating reference moment.
 - Optimize methodology.
 - Calculate total uncertainty for measurement process.

Demonstrated significant improvement in moment measurement possible with inclusion of cross-talk and further improvement when including torsion as a third degree of freedom.



Thank you!

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